Coarsening Dynamics in Elastically Anisotropic Phase-Separating Alloys with XPCS

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of phase-In the late stage separation in alloys coarsening occurs. The main driving force for this process is the interface energy. Additionally, if the lattice constants of the precipitates (a_p) and the matrix (a_m) do not match, elastic interactions play a crucial role. Our aim is to study the dynamical properties of these processes.

Coarsening in Ni-Al-Mo

Two separating phases:

• Ni-rich: disordered fcc (matrix)

by Mo content Ni₃AI: L1₂-ordered (precipitates)-

L1₂-structure:

 $\delta = \frac{a_p - a_m}{\delta}$ Misfit (δ) controlled

Misfit and elastic anisotropy define shape and alignment of the precipitates in the matrix



Misfit $\delta = 0$

shape: spherical alignment: random Picture: M. Fährmann et al, Acta metall. mater. 43, 1007 (1995).



shape: cuboidal or plate-like alignment: along elastic soft directions <001> Picture: J.-M. Schneider, B. Schönfeld, B. Demè, and G. Kostorz, J. Appl. Chryst. 33, 465 (2000).



Scattering of **coherent radiation** at a disordered sample causes a highly modulated diffraction pattern, a so-called **speckle pattern**. This interference pattern changes with the motion of the scattering centres in the coherently illuminated material. By analysing the temporal correlations of intensity fluctuations information about the dynamics in the sample is gained.

Measurements in small-angle X-ray scattering geometry.





Monte Carlo Simulations



positive lattice misfit,

Misfit $|\delta| > 0$

The model:

- two types of atoms in an fcc lattice
- atoms connected with springs
- elastic and chemical interaction
- 96x96x96 lattice

δ>0

periodic boundary conditions



SAXS-pattern with speckles

δ=+0.65%





2000MCS

Simulated pattern

δ=0







- Recording of time-dependent intensity fluctuations
- Calculate the "profile" of the fluctuation $Y(j) = \sum_{i=1}^{J} I_i$
- Split the record into *K* segments
- Perform a polynomial fit in each segment $P_n(j)$
- Determine the variance $F_n^2(s) = \langle (Y(j) P_n(j))^2 \rangle_{j=(n-1)s}^{ns}$
- Average over all segments $F(s) = \left[\frac{1}{K}\sum_{n=1}^{K}F_n^2(s)\right]^{\overline{2}}$



Random walk standard deviation $F_1^2(s) F_2^2(s) F_3^2(s) F_4^2(s) F_5^2(s) F_6^2(s)$ fluctuations: $\alpha = 1.5$ $F_{\kappa}^{2}(s)$



The dependence of α on the scattering vector **Q** indicates different dynamics in different crystallographic directions.









Preliminary conclusion: Precipitate atoms are locked along the elastic soft directions.