

# Study of atomic motion in rubidium borate glasses

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## Introduction

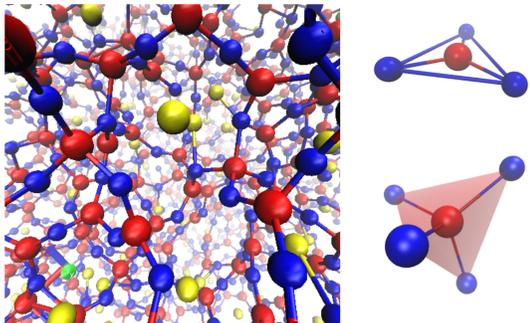
Atomic Scale X-ray Photon Correlation Spectroscopy (aXPCS) uses coherent X-rays to probe the dynamics of materials on an atomic scale. It was applied to study atomic diffusion in crystals [1], but its ap-

plication was recently extended to glasses as well [2]. Results of dynamics and structural studies studies on high- and low-alkali content rubidium borate glasses are presented here. Structural studies include

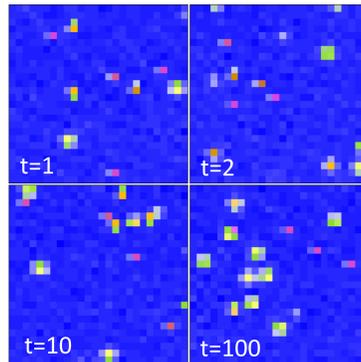
total scattering experiments yielding the pair distribution function alongside Small-Angle X-ray Scattering (SAXS) studies giving information about inhomogeneities in the samples.

## Theory

Real space structure: changes in time results in different scattering patterns



Sequence of scattering patterns → Time correlation

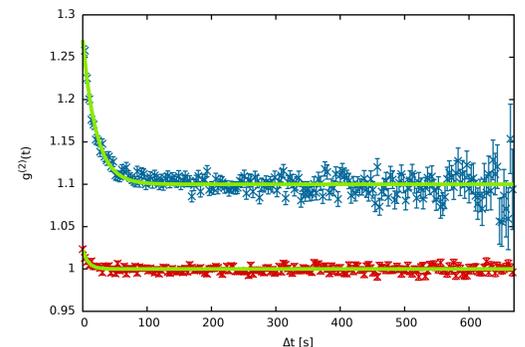


Intensity Auto Correlation Function (ACF)

$$g^{(2)}(\vec{q}, \Delta t) := \frac{\langle I(\vec{q}, t)I(\vec{q}, t + \Delta t) \rangle}{\langle I(\vec{q}, t) \rangle^2}$$

Functional form of the ACF:

$$g^{(2)}(q) = 1 + \beta e^{-\left(\frac{2\Delta t}{\tau}\right)^\alpha}$$

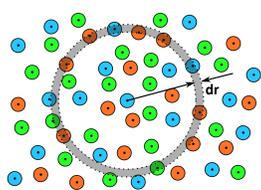


Normalization by the total structure factor

$$\tau_{coh}(\vec{q})^{-1} = \frac{\tau_{inc}(\vec{q})^{-1}}{S_{total}(q)}$$

Space and time dependence described by the Van Hove Pair Correlation Function

## Structure



Scattering function in general includes both Bragg and diffuse scattering → for amorphous substances only diffuse scattering occurs.

Pair distribution function (PDF) is the probability of finding two atoms separated by a distance  $r$ .

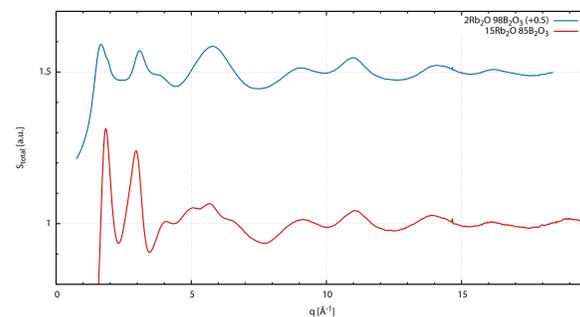
Connection of the PDF  $G(r)$  to the measured scattered intensity  $S(Q)$  via Fourier sine transform

$$G(r) = \frac{2}{\pi} \int_0^\infty dQ Q (S(Q) - 1) \sin(Qr)$$

The scattered intensity is related to the total (static) structure factor by

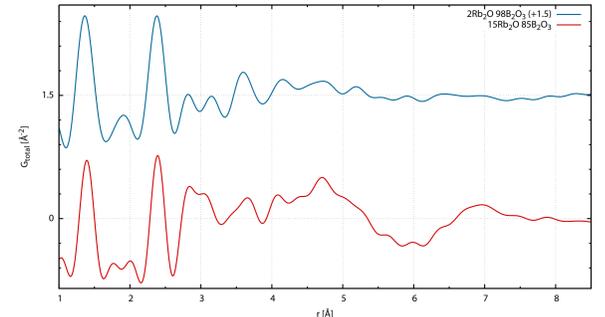
$$I(q) = N \left[ E\langle f^2 \rangle - E\langle f \rangle^2 + E\langle f \rangle^2 S_{total}(q) \right]$$

## Total structure factor and pair distribution function



Total structure factor as a function of momentum transfer

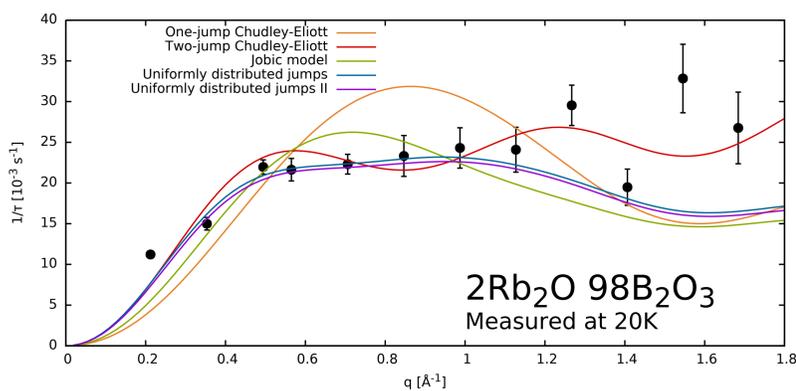
- Measured as platelets in transmission geometry → only weak contribution from surface → smooth curves
- Shows features up to high momentum transfers  $q$  → distinguished from most glasses with liquid-like structure factors



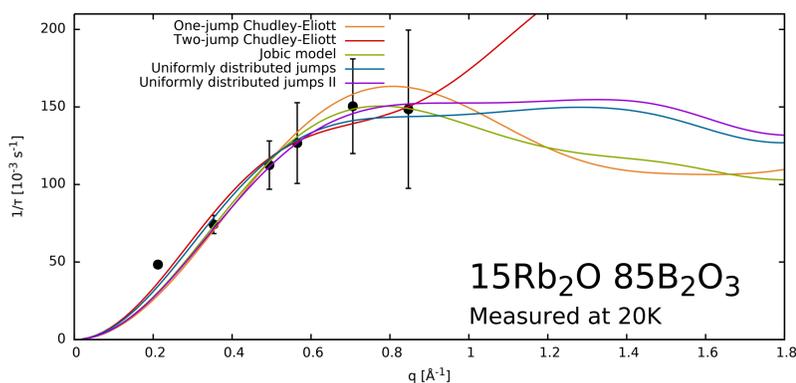
Pair distribution function as a function of radial distance

- Very sharp peaks at small distances 1.4 and 2.4 Å → corresponding to rigid borate network → alkali ions are the diffusing species
- Well-defined short-range order resulting from strong covalent bonding

## Results: fit to jump models

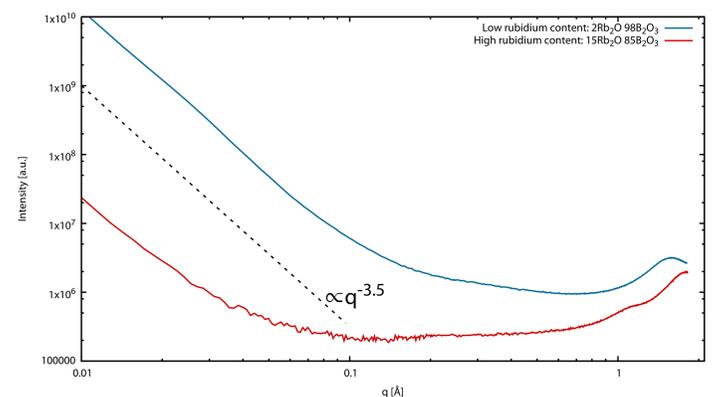


Best fit: Two-jump distances Chudley-Elliott Model with jump lengths  $d_1 = 1.0$  Å and  $d_2 = 8.5$  Å, with 3/4 of short-distance jumps



**top:** low alkali content glass, **bottom:** High alkali content glass. Several models can be fitted at small  $q$ -range. Fits are equally good in the hydrodynamic limit.

## SAXS



SAXS intensities as a function of momentum transfer

- Inhomogeneities on a length scale  $> 60$  nm are visible
- Only Porod region visible → Inhomogeneities too large for
- Slope of -3.5 indicating 3D inhomogeneities with smooth interfaces

## Conclusion

- Diffusion in low rubidium content borate glasses best described by two-jump model
- Large difference in diffusivity between low and high alkali glass
- Diffusion at 20K still too fast to be measured in high alkali glass
- Inhomogeneities are much larger in high alkali sample

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